

Answer All Questions

Question (1): [10 marks]

a) For given circuit in Fig. Q1 a, Find the equivalent resistor at ab terminal (5 Marks)

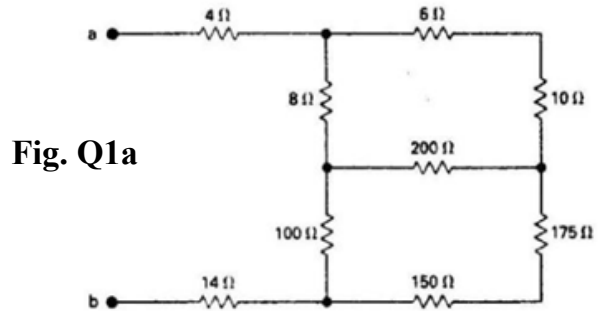


Fig. Q1a

b) Use a Δ -to-Y transformation to find the voltages v_1 and v_2 in the circuit in Fig. Q1b (5 Marks)

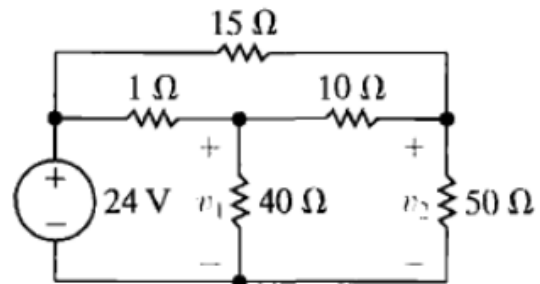


Fig. Q1 b

Question (2): [8 Marks]

Use the node-voltage method to find V_o in the circuit in Fig. Q2. (8 Marks)

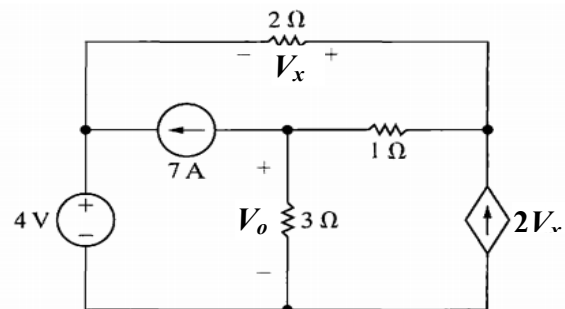


Fig. Q2

Question (3): [12 Marks]

Use the mesh-current method to find :

a) the branch currents i_1 , i_2 , and i_3 in the circuit in Fig. Q3. (6 Marks)

b) Check your solution for i_1 , i_2 , and i_3 by showing that the power dissipated in the circuit equals the power developed. (6 Marks)

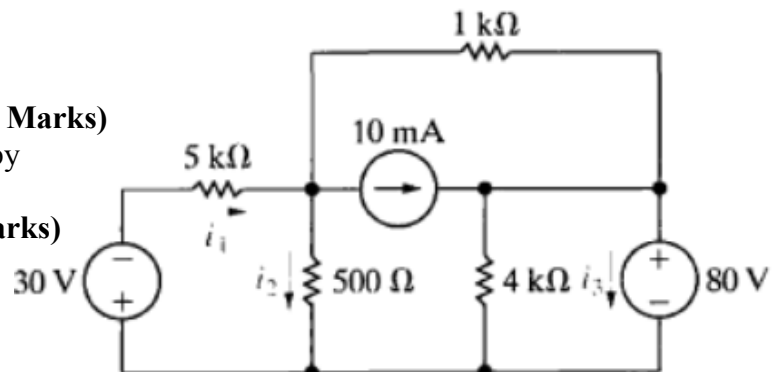


Fig. Q3

Question (4): [8 Marks]

Use the source transformations to find i_o in the circuit shown in Fig. Q4.

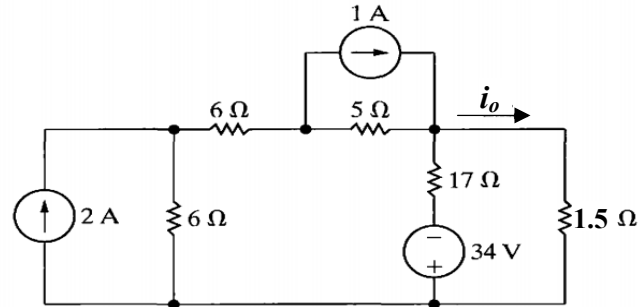


Fig. Q4

Question (5): [10 Marks]

The variable resistor in the circuit in Fig. Q5 is adjusted for maximum power transfer to R_o .

- Find the value of R_o . [7 Marks]
- Find the maximum power that can be delivered to R_o . [3 Marks]

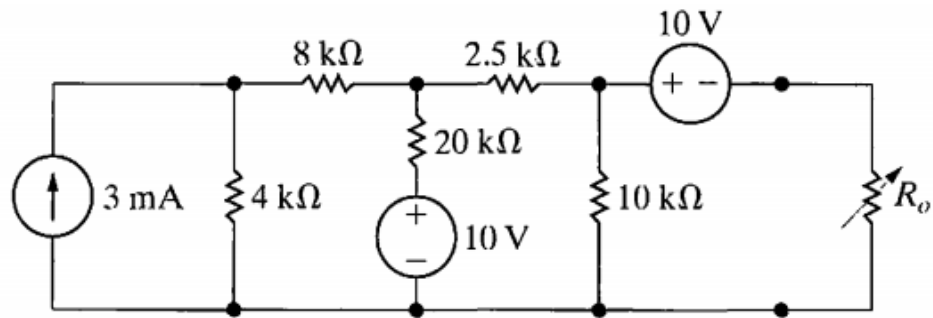


Fig. Q5

Question (6): [12 Marks]

The Ideal Op-Amp circuit is shown in Fig. Q6.

- Find V_o when $V_a = 1$ V, $V_b = 2$ V, $V_c = 2$ V and $V_d = 4$ V. (4 Marks)
- If $V_a = 1$ V, $V_b = 2$ V, what values of V_c will not saturate the Op-Amp? (4 Marks)
- Gives some applications of Op-Amp? (4 Marks)

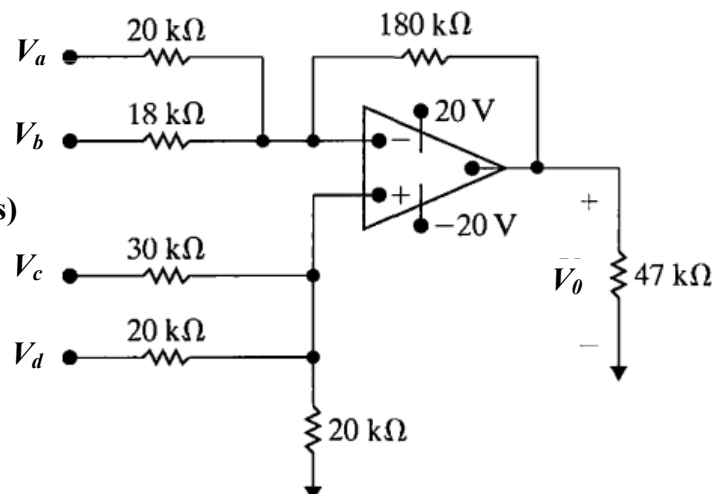


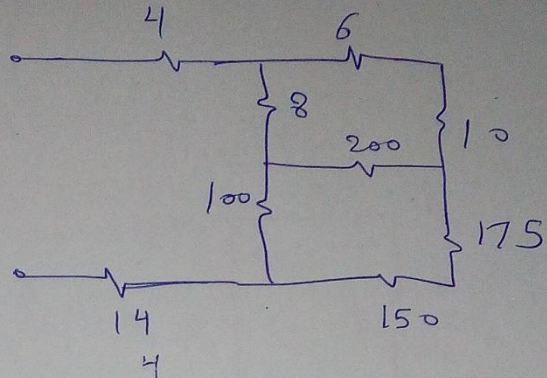
Fig. Q6

With my best wishes

Q-1

Q1/

(a)



$$6 + 10 = 16$$

$$175 + 150 = 325$$

$$R_1 = \frac{100 \times 200}{100 + 200 + 325} = 32 \Omega$$

$$R_2 = \frac{200 \times 325}{625} = 104 \Omega$$

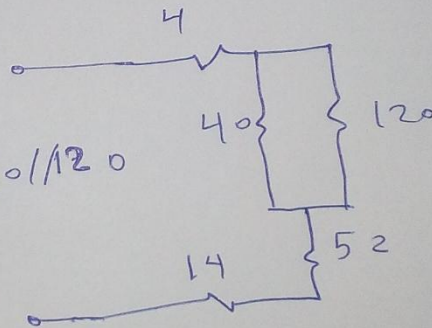
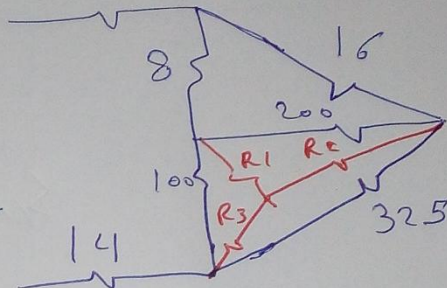
$$R_3 = \frac{100 \times 325}{625} = 52 \Omega$$

$$R_2 + 16 = 120 \Omega$$

$$R_1 + 8 = 40$$

$$R_{ab} = 14 + 4 + 52 + 40 // 120$$

$$= 100 \Omega$$

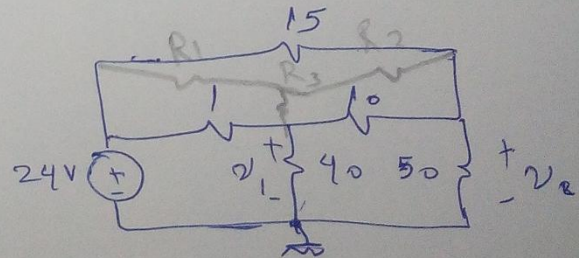


(b)

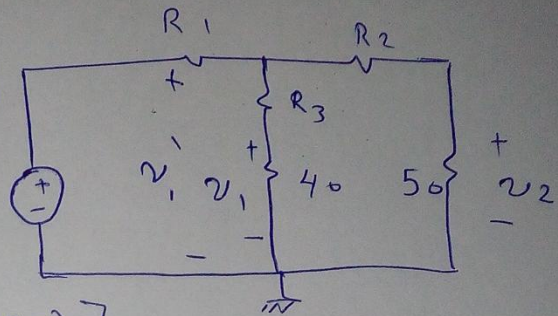
$$R_1 = \frac{1 \times 15}{1 + 15 + 10} = \frac{15}{26}$$

$$R_2 = \frac{150}{26}$$

$$R_3 = \frac{100}{26}$$



$$v_1' = 24 * \frac{(R_3 + 40) // (R_2 + 50)}{R_1 + (R_3 + 40) // (R_2 + 50)}$$



~~$$= 24 * \frac{[(40 + \frac{100}{26}) // (50 + \frac{150}{26})]}{\frac{15}{26} + [(\frac{1140}{26}) // (\frac{1450}{26})]}}$$~~

$$= 24 * \frac{[(40 + \frac{100}{26}) // (50 + \frac{150}{26})]}{\frac{15}{26} + [(\frac{1140}{26}) // (\frac{1450}{26})]}}$$

$$= \frac{24 * \frac{638.22}{26}}{\frac{15}{26} + \frac{638.22}{26}}$$

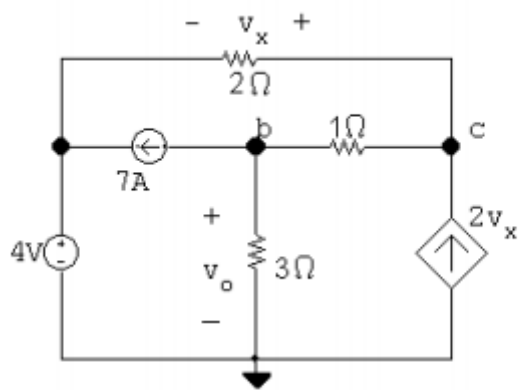
$$= \frac{577.728}{\frac{653.22}{26}}$$

$$v_1' = 32.448$$

$$v_1 = \frac{v_1' * 40}{40 + R_3} = 21.39 \text{ V}$$

$$v_2 = \frac{v_1' * 50}{R_2 + 50} = 21.023 \text{ V}$$

Q-2



The two node voltage equations are:

$$7 + \frac{v_b}{3} + \frac{v_b - v_c}{1} = 0$$

$$-2v_x + \frac{v_c - v_b}{1} + \frac{v_c - 4}{2} = 0$$

The constraint equation for the dependent source is:

$$v_x = v_c - 4$$

Place these equations in standard form:

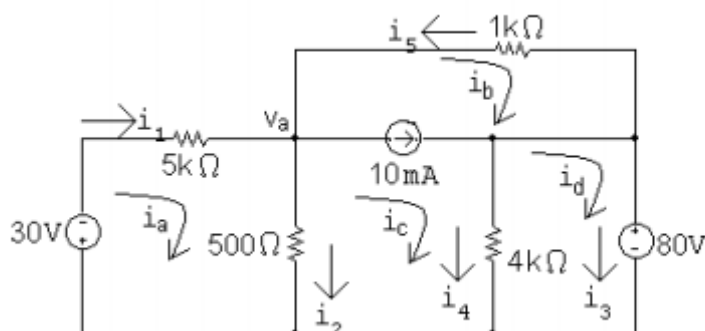
$$v_b \left(\frac{1}{3} + 1 \right) + v_c(-1) + v_x(0) = -7$$

$$v_b(-1) + v_c \left(1 + \frac{1}{2} \right) + v_x(-2) = \frac{4}{2}$$

$$v_b(0) + v_c(1) + v_x(-1) = 4$$

Solving, $v_c = 9 \text{ V}$, $v_x = 5 \text{ V}$, and $v_o = v_b = 1.5 \text{ V}$

Q-3



Supermesh equations:

$$1000i_b + 4000(i_c - i_d) + 500(i_c - i_a) = 0$$

$$i_c - i_b = 0.01$$

Two remaining mesh equations:

$$5500i_a - 500i_c = -30$$

$$4000i_d - 4000i_c = -80$$

In standard form,

$$-500i_a + 1000i_b + 4500i_c - 4000i_d = 0$$

$$0i_a - 1i_b + 1i_c + 0i_d = 0.01$$

$$5500i_a + 0i_b - 500i_c + 0i_d = -30$$

$$0i_a + 0i_b - 4000i_c + 4000i_d = -80$$

Solving:

$$0i_a + 0i_b - 4000i_c + 4000i_d = -80$$

Solving:

$$i_a = -10 \text{ mA}; \quad i_b = -60 \text{ mA}; \quad i_c = -50 \text{ mA}; \quad i_d = -70 \text{ mA}$$

Then,

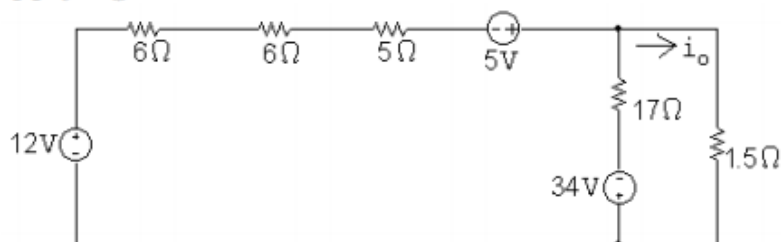
$$i_1 = i_a = -10 \text{ mA}; \quad i_2 = i_a - i_c = 40 \text{ mA}; \quad i_3 = i_d = -70 \text{ mA}$$

$$[\mathbf{b}] \quad p_{\text{sources}} = 30(-0.01) + [1000(-0.06)](0.01) + 80(-0.07) = -6.5 \text{ W}$$

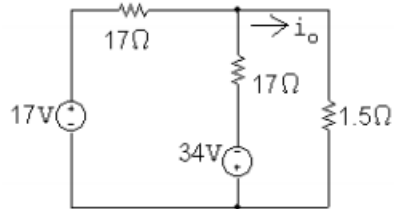
$$p_{\text{resistors}} = 1000(0.06)^2 + 5000(0.01)^2 + 500(0.04)^2 \\ + 4000(-0.05 + 0.07)^2 = 6.5 \text{ W}$$

Q-4

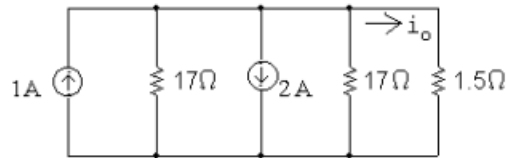
[a] Applying a source transformation to each current source yields



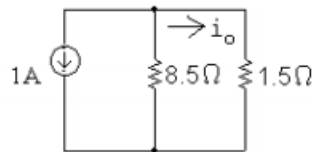
Now combine the 12 V and 5 V sources into a single voltage source and the 6 Ω , 6 Ω and 5 Ω resistors into a single resistor to get



Now use a source transformation on each voltage source, thus

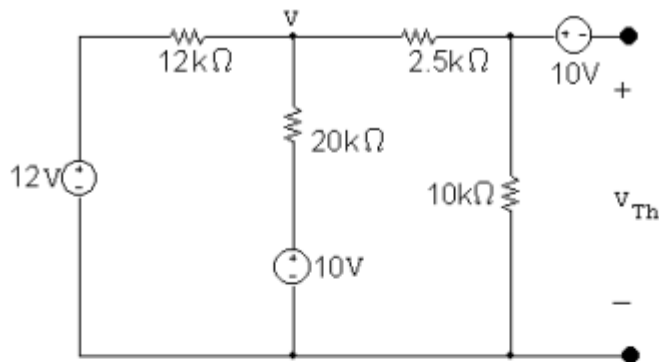


which can be reduced to



$$\therefore i_o = -\frac{8.5}{10}(1) = -0.85 \text{ A}$$

Q-5

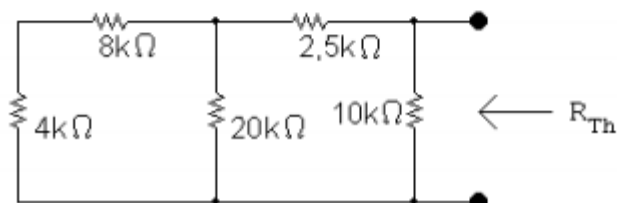


$$\frac{v - 12}{12,000} + \frac{v - 10}{20,000} + \frac{v}{12,500} = 0$$

$$\text{Solving, } v = 7.03125 \text{ V}$$

$$v_{10k} = \frac{10,000}{12,500}(7.03125) = 5.625 \text{ V}$$

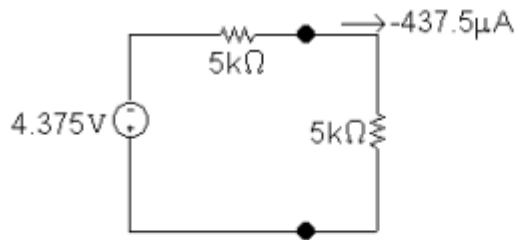
$$\therefore V_{Th} = v - 10 = -4.375 \text{ V}$$



$$R_{Th} = [(12,000 \parallel 20,000) + 2500] = 5 \text{ k}\Omega$$

$$R_o = R_{Th} = 5 \text{ k}\Omega$$

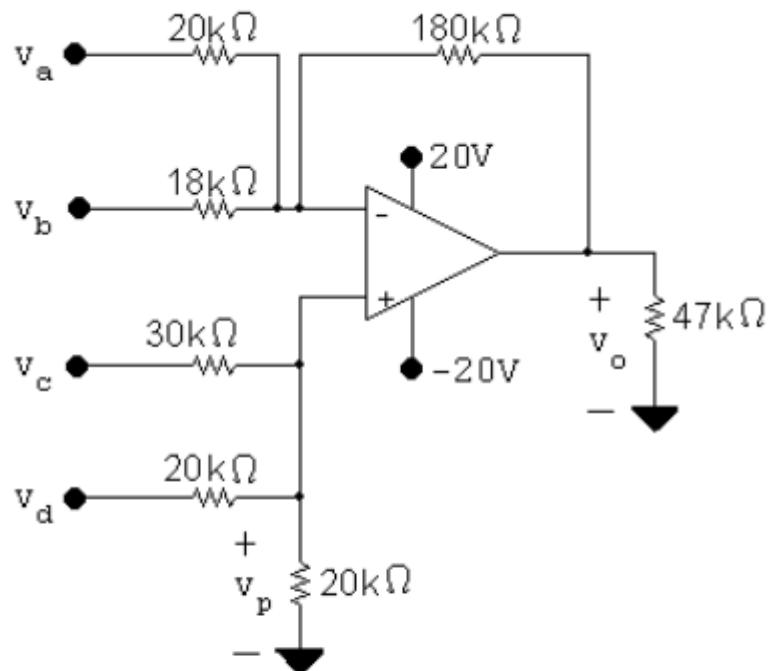
[b]



$$p_{max} = (-437.5 \times 10^{-6})^2(5000) = 957 \mu\text{W}$$

Q-6

[a]



$$\frac{v_p}{20,000} + \frac{v_p - v_c}{30,000} + \frac{v_p - v_d}{20,000} = 0$$

$$\therefore 8v_p = 2v_c + 3v_d = 8v_n$$

$$\frac{v_n - v_a}{20,000} + \frac{v_n - v_b}{18,000} + \frac{v_n - v_o}{180,000} = 0$$

$$\begin{aligned}\therefore v_o &= 20v_n - 9v_a - 10v_b \\ &= 20[(1/4)v_c + (3/8)v_d] - 9v_a - 10v_b \\ &= 20(0.75 + 1.5) - 9(1) - 10(2) = 16 \text{ V}\end{aligned}$$

$$\text{[b]} \quad v_o = 5v_c + 30 - 9 - 20 = 5v_c + 1$$

$$\pm 20 = 5v_c + 1$$

$$\therefore v_b = -4.2 \text{ V} \quad \text{and} \quad v_b = 3.8 \text{ V}$$

$$\therefore -4.2 \text{ V} \leq v_b \leq 3.8 \text{ V}$$

[c] Applications of Op-Amp

Multiplier- Inverter- Subtractor-Adder